

Correction to “Origin of Correlations between Local Conformational States of Consecutive Amino-Acid Residues and Their Role in Shaping Protein Structures and in Allostery”

Celina Sikorska and Adam Liwo*

J. Phys. Chem. B **2022**, 126 (46), 9493–9505. DOI: 10.1021/acs.jpccb.2c04610



Cite This: *J. Phys. Chem. B* 2023, 127, 425–426



Read Online

ACCESS |

Metrics & More

Article Recommendations

Supporting Information

The authors regret that errors were made in the derivation of eq 3C, which also affect the final form of eq 6C but not that of eq 4. These errors do not change the conclusions of the paper, because the corrected eq 6C still expresses a multitorisional potential that is a product of cosines of virtual-bond dihedrals along a folded chain segment except that there are sines and not cosines of the first and the last dihedral, respectively, while cosines only appeared in the incorrect equation. Thus, the corrected expression still corresponds to directing the chain before and after a folded (in most cases a helical) chain segment.

The corrected eqs 3C and 6C are below. To keep correspondence with the original paper, they are labeled 3C and 6C, respectively. The revised derivation of both equations is provided in the Supporting Information.

$$U_m = -\left(\frac{1}{2}\right)^{m-3} \sin \theta_{k+1} \sin \theta_{k+m-2} \times \sum_{s_{k+2}=\pm 1} \sum_{s_{k+3}=\pm 1} \cdots \sum_{s_{k+m-2}=\pm 1} \prod_{i=k+2}^{k+m-3} C_i s_i (1 + s_i \cos \theta_i) \times \cos \left[(\gamma_{k+1} + \Phi_{k+1}) + \sum_{i=k+2}^{k+m-3} \prod_{j=k+2}^i (-s_j) (\gamma_i + \Phi_i) \right] \quad (3C)$$

$$U_m^{\text{fold}} \approx -(-1)^{m-3} A_m \sin \theta_{k+1} \sin \theta_{k+m-2} \sin (\gamma_{k+1} + \Phi_{k+1}) \times \left[\prod_{i=k+2}^{k+m-4} \cos (\gamma_i + \Phi_i) \right] \sin (\gamma_{k+m-3} + \Phi_{k+m-3}) = -A_m \sin \theta_{k+1} \sin \theta_{k+m-2} \sin (\gamma_{k+1} + \Phi'_{k+1}) \times \left[\prod_{i=k+2}^{k+m-4} \cos (\gamma_i + \Phi'_i) \right] \sin (\gamma_{m-3} + \Phi'_{m-3}) \quad (6C)$$

where

$$\Phi'_i = \Phi_i + \pi \quad i = k + 1, k + 2, \dots, k + m - 3$$

$$A_m = \prod_{i=k+2}^{m-3} C_i$$

In eqs 3C and 6C, m is the number of C^α atoms in the segment (the length of the segment), k is the index of the first residue of the segment, θ_i is the planar angle between C_{i-1}^α , C_i^α , and C_{i+1}^α , and γ_i is the dihedral angle defined by atoms C_{i-1}^α , C_i^α , C_{i+1}^α , and C_{i+2}^α . The angles Φ_i and Φ'_i are phase angles and the coefficients C_i depend on the kind of respective amino-acid residues and the neighboring residues.

Following the correction, eq 18C, which expresses the multitorisional energy term corresponding to a folded chain segment, $U_{\text{mtor};i,m}^f$ which we recommend to introduce to coarse-grained force fields, is replaced by eq 18C.

$$U_{\text{mtor};i,m}^f = \sum_M [\sin \theta_{i+1} \sin \theta_{m+i-2}]^M [b_{i+2,M} (\sin \theta_{i+2})^2]^M \times \sin [M(\gamma_{i+2} + \Psi_{i+2})] \prod_{k=i+3}^{i+m-4} [b_{kM} (\sin \theta_k)^2]^M \times \cos [M(\gamma_k + \Psi_k)] [b_{i+m-3,M} (\sin \theta_{i+m-3})^2]^M \times \sin [M(\gamma_{i+m-3} + \Psi_{i+m-3})] \quad (18C)$$

where M is the multiplicity of the respective term and the coefficients $b_{i,M}$ are parameters.

ASSOCIATED CONTENT

Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.jpccb.2c08574>.

Correction to “Derivation of the lowest-order term in multitorisional potentials” and “Derivation of eq 6C” (PDF)

ACKNOWLEDGMENTS

This work was supported by grant UMO-2021/40/Q/ST4/00035 from the National Science Centre of Poland (Narodowe

Published: December 22, 2022



Centrum Nauki) (to A.L.) and by the Marsden Fund Council from Government funding, administered by the Royal Society of New Zealand (grant number MFP-21-UOA-069) (to C.S.). Computational resources were provided by (a) the Centre of Informatics – Tricity Academic Supercomputer & Network (CI TASK) in Gdańsk (b) the Interdisciplinary Center of Mathematical and Computer Modeling (ICM) the University of Warsaw under grants No. GA71-23, (c) the Academic Computer Centre Cyfronet AGH in Krakow under grants unres19 and unres2021, and (d) our 796-processor Beowulf cluster at the Faculty of Chemistry, University of Gdańsk.